Detecting climate signals in populations across life histories

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Abstract
Climate impacts are not always easily discerned in wild populations as detecting climate change signals in populations is challenged by stochastic noise associated with natural climate variability, variability in biotic and abiotic processes, and observation error in demographic rates. Detection of the impact of climate change on populations requires making a formal distinction between signals in the population associated with long-term climate trends from those generated by stochastic processes. The time of emergence (ToE) identifies when the signal of anthropogenic climate change can be quantitatively distinguished from natural climate variability. This concept has been applied extensively in the climate sciences, but has not been explored in the context of population dynamics. Here, we outline an approach to detecting climate-driven signals in populations based on an assessment of when climate change drives population dynamics beyond the envelope characteristic of stochastic variations in an unperturbed state. Specifically, we present a theoretical assessment of the time of emergence of climate-driven signals in population dynamics ($ToE_{pop}$). We identify the dependence of $ToE_{pop}$ on the magnitude of both trends and variability in climate and also explore the effect of intrinsic demographic controls on $ToE_{pop}$. We demonstrate that different life histories (fast species vs. slow species), demographic processes (survival, reproduction), and the relationships between climate and demographic rates yield population dynamics that filter climate trends and variability differently. We illustrate empirically how to detect the point in time when anthropogenic signals in populations emerge from stochastic noise for a species threatened by climate change: the emperor penguin. Finally, we propose six testable hypotheses and a road map for future research.

Keywords
climate change, emperor penguin, life histories, population trend, population variability, signal to noise, time of emergence
Climate change is expected to have significant effects on biological populations (Mason et al., 2019). Many studies have assessed the influence of particular climate variables on demographic rates (e.g., survival) and population sizes (e.g., see review Gaillard et al., 2013; Jenouvrier, 2013; Reed et al., 2021). However, while the primacy of climate influence is commonly accepted, specific detection and attribution of population trends to anthropogenic changes in climate is complicated by substantial stochastic noise related to observation error (i.e., errors due to measurement imprecision) and process error in biological processes (i.e., unexplained variation in true abundance driven by unobserved biotic such as species interactions or abiotic processes such as habitat quality, resource variability, etc.), and climate variability (Che-Castaldo et al., 2017; Parmesan et al., 2013; Table 1). Climate variability is an important characteristic of the climate system and a driver of population dynamics (Boyce et al., 2006; Vázquez et al., 2015) that may occlude the population response to the underlying climate change signal.

Natural climate variability is a noise from unforced variability generated internally within the climate system (Mann et al., 2021; Table 1). Natural variability in the climate system occurs over a broad range of temporal and spatial scales, with spectral properties in the seasonal, inter-annual to decadal bands. It arises from different sources, including variations that are (1) driven by a periodic external forcing, like the diurnal or the seasonal cycle of insolation, (2) due to the nonlinear interplay of feedbacks within the climate system, such as coupled mode of variability (e.g., El Niño-Southern Oscillation, North Atlantic Oscillation, Pacific Decadal Oscillation), and (3) associated with random fluctuations in the external or internal climate system (Ghil, 2002). In addition, climate change is characterized by an anthropogenic climate change signal (Table 1). This secular trend is the deterministic response of the climate system to an external forcing driven by anthropogenic emissions of greenhouse gases and changes in land use. Hence, the detection of anthropogenic forced change is a signal to noise problem.

To detect and attribute the threats to a species posed by climate, climate-driven signals in population should be distinguished from stochastic noise. The concept of time of emergence (ToE) exactly does that: it identifies when the signal of anthropogenic climate change can be formally distinguished from noise associated with natural variability (Table 1). In climate science, the ToE has been studied extensively (Hawkins et al., 2020; Hawkins & Sutton, 2012). It is used to detect climatic changes and to describe whether climate changes are potentially beyond the known natural environmental variability of ecosystems (Giorgi & Bi, 2009; Mahlstein et al., 2013).

Although this concept of ToE has yet to be formally applied to ecological time series, some studies have quantified when novel climate conditions relevant for ecological processes will emerge from natural variability. For example, Beaumont et al. (2011) have characterized the standard deviation (SD) of surface air temperature for a baseline period (1961–1990) and then evaluated the number of months that the temperature exceeds 2 SDs by 2070 for various ecoregions of exceptional biodiversity. They found that more than 83% of terrestrial and freshwater ecoregions will be exposed to temperature exceeding 2 SDs by 2070.
The ToE explicitly characterizes the point in time when anthropogenic climate change can be formally distinguished from noise associated with natural variability. Hence, it informs on how fast changes exceed natural variability and can help prioritize decisions about when, where, and for which conservation and management actions may be necessary. Some studies have characterized explicitly the ToE of ecosystem drivers in marine ecosystems (Henson et al., 2017; Schlunegger et al., 2020). For example, Henson et al. (2017) found that climate change signals of pH and SST emerge rapidly while climate change trends in interior oxygen content and primary productivity emerge later. In terrestrial ecosystems, Rojas et al. (2019) focused on the timing when the precipitation changes will emerge outside the range of natural variability during the 21st century relevant for agricultural activities. They found early timing of emergence in precipitation trends for the production regions of four major crops (wheat, soybean, rice, and maize) even under a low-emission scenario. Sorte et al. (2019) characterized the seasonal and spatial variations in the emergence of novel climates characterized by precipitation, minimum and maximum temperature, along the migration routes of 77 passerine bird species. They found that earlier ToE occurs for migrants that winter within the tropics. However, none of these studies have applied directly the concept of ToE to time series of population dynamics.

Here, we apply the concept of ToE to characterize climate-driven signals in population dynamics. We present a new perspective on detecting climate-related impacts in populations by characterizing the ToE in population growth rate (hereafter, ToE_pop), the point in time when climate-driven signals in population dynamics can be quantitatively distinguished from noise associated with year-specific stochastic variations in population growth rates (Figure 1). While in climate science, the noise is associated with climate natural variability, applying this approach to population dynamics does not exclude other sources of noise (e.g., observation and process errors; demographic and environmental variability, the latter being driven by fluctuations in physical habitat, resource availability, and biological interactions).

For species threatened by climate change, ToE_pop can represent the time at which the population will detectably decline to a level below its historical variability. This point in time potentially corresponds to the time at which the species will be exposed to high extinction risk, to the time at which individuals will migrate massively to track ecological niches, or to the time at which individuals may have to adapt to new conditions through evolutionary adaptations. The earlier the ToE_pop occurs, the faster novel conditions emerge out of the natural range of variability, the faster the population will reach a non-historical level, with less time for the organisms to adapt or migrate. The ToE_pop is one illustrative metric that acknowledges the dual role of natural variability and an anthropogenic climate change signal, also useful for populations increasing under climate change (Román-Palacios & Wiens, 2020; Stephens et al., 2016). Importantly, ToE allows meaningful comparative studies of when the signal of

**FIGURE 1** Conceptual diagram of the time of emergence (ToE) in climate (ToE_climate) and in populations (ToE_pop). ToE identifies the point in time when the signal of anthropogenic climate change (red time series) emerges from the noise associated with natural variability (black time series). ToE_pop depends on the response of population growth rate to climate that is defined by (1) the impact of climate on demographic rates (e.g., survival) with different functional forms that influence the sensitivity of demographic rates to climate; (2) the impact of demographic rates on the population growth rate resulting from nonlinear demographic processes occurring throughout the species life cycle (described in section Population projections).
anthropogenic climate change emerges from natural variability across ecosystem drivers (Henson et al., 2017), species (Sorte et al., 2019), ecosystems (Beaumont et al., 2011), and for future socio-economic processes relevant for climate mitigation (Schlunegger et al., 2020).

From a conceptual viewpoint, ToE pop occurs earlier when the slope of the population climate-driven trend is large and/or when the population variability is small (Figure 1). Both the population climate-driven trend and variability depend on the species’ life history and the functional relationships between climate and the demographic rates (Barraquand & Yoccoz, 2013). Specifically, species of both plant and animal kingdoms can be ranked along a main axis of life-history variation, the so-called “slow-fast continuum” (Gaillard et al., 1983). Species with fast life history are characterized by early maturity, high reproductive output, and short lifespan; while species with slow life history have opposite characteristics. Previous work has shown that depending on their position along this continuum, species exhibit contrasting demographic responses to climate change with various spectrum of variability and amplitude of the response (Compagnoni et al., 2021; Doak & Morris, 2010; Jenouvrier et al., 2005; Morris et al., 2008; Paniw et al., 2017). In addition, the population responses to climate change depend on the function that links climate variables to demographic rates (survival, growth, reproduction) that drive population growth rate and structure (i.e., functional relationships, Figure S1).

After briefly reviewing the time of emergence in climate (Section 2), we present this concept in the context of population dynamics (Section 3). Then, we characterize and compare the time of emergence of climate-driven signals in population dynamics in a theoretical context to address five questions (Section 4):

- How does ToE pop in populations relate to ToE in climate?
- How does ToE pop vary across life histories (e.g., slow–fast species)?
- How does ToE pop vary across demographic processes (e.g., survival, reproduction)?
- How does ToE pop vary among different functional relationship between climate and demographic rates?
- Do some species, demographic processes, or functional relationship magnify the signal of anthropogenic climate change?

We find that different life histories (e.g., long vs. short-lived species) and demographic processes by which climate affects the population (i.e., through survival, reproduction) provide different “scale-dependent” filters so that some life histories magnify signal-to-noise ratios while other demographic dynamics prolong ToE pop. Furthermore, to illustrate our theoretical results, we quantify the ToE pop of an iconic species endangered by climate change: the emperor penguin (Aptenodytes forsteri; Jenouvrier et al., 2021; Section 5). Finally, we propose a set of six testable hypotheses based on the patterns of ToE in climate (hereafter ToE climate) and the demographic processes across life histories and propose a road map for future studies on the ToE pop (Section 6).

2 | TIME OF EMERGENCE IN CLIMATE

The concept of ToE climate has been discussed for several decades in the climate sciences with studies attempting to detect the carbon dioxide warming signal published more than 80 years ago (Callendar, 1938; Revelle & Suess, 1957; see review in Hawkins et al., 2020). The time of emergence of heat has been characterized in temperature (Mahlstein et al., 2011), precipitation (Giorgi & Bi, 2009), climate extremes (King et al., 2015), in sea level (Lyu et al., 2014), in Arctic climate (Landrum & Holland, 2020), and biogeochemical variables (e.g., Henson et al., 2017; Long et al., 2016; Schlunegger et al., 2020).

Different methods have been used to quantify ToE climate: most of them use climate model simulations (but see Hawkins et al., 2020, for an application using observation of temperature). The common methods for estimating ToE climate are the signal threshold method (Section 3), and the signal-to-noise ratio method with a particular cutoff (Hawkins & Sutton, 2012); a variant of this approach is the identification of the signal-to-noise ratio using a predefined threshold across multiple consecutive years (referenced as the exceedance threshold; Mora et al., 2013). Various statistical methods have been developed, from statistical test to assess for significant differences between time periods (Zappa et al., 2015), estimation of the standard error of the regression to estimate the lead time required for a linear trend to emerge from natural variability (Mahlstein et al., 2012), development of hierarchical statistical state-space model (Barnhart et al., 2016), or artificial neural networks (Barnes et al., 2018).

Recently, the availability of large ensembles of climate (or Earth system) models has open new doors to quantify climate natural variability and hence evaluations of the ToE climate. An ensemble is a collection of coupled climate simulations (Table 1) that are integrated in parallel, typically with small differences in initial conditions applied to each ensemble member. Climate model generates internal variability as a product of interactions between components internal to the climate system (Hasselmann, 1976). Since the climate system is chaotic, perturbations in initial conditions grow with time, randomizing the phase of natural variability and leading to spread across the ensemble. This spread can be interpreted as a measure of the amplitude of natural climate variability. As all the ensemble members are subject to the same external forcing (i.e., emissions scenario), the deterministic response of the climate system can be assessed as the mean across the ensemble members, which effectively filters out the noise associated with natural variability (Kay et al., 2015). Modeling centers usually contribute a small number of ensemble members to international climate change projection assessments, typically ranging from 3 to 10 ensemble members for a given model. Large ensembles with ensemble sizes ranging from 30 to 100 members permit climatologists to compute emergence thresholds to formally consider the uncertainty in the forced response due to natural climate variability (Barnhart et al., 2016).

Here, we use signal threshold method (Section 3) based on a large ensemble by constructing prediction interval of the climate and population projections, and estimate the time taken by the system to emerge from the background of natural variability (Barnhart et al., 2016). For example, the left part of Figure 2 shows an idealized climate trajectory corresponding to a single ensemble member
(red line) and the associated envelope of natural variability based on a 95% prediction interval (gray). ToE\text{climate} is the time when the projected future conditions under the influence of climate change, “forced conditions” (red lines), exceeds a pre-defined threshold for emergence that is based on the historical unperturbed conditions (gray area, with the horizontal line illustrating the baseline threshold at which climate change is defined to emerge).

The emergence thresholds are typically based on the percentile of the distribution of the historical and forced projections. They define the prediction intervals at which the signal of climate change emerges from the natural climate variability. We present the results for one threshold of wide confidence envelope with a 95% prediction interval based on emergence thresholds defined by the 2.5 or 97.5 percentile values of the distribution, where impacts are triggered by the extreme historical conditions only. The analysis with a narrow confidence envelope with emergence thresholds defined by the 20 or 80 percentile values of the confidence interval (i.e., 60% prediction interval) is shown in appendix (Figure S3). In that case, the system is likely highly sensitive to climate as severe impacts are thought to occur for lower percentile of the climate conditions distribution experienced during the historical run. Our results are qualitatively the same between 95% and 60% prediction intervals (Figure 3 vs. Figure S3).

In our simulations, we construct a large ensemble of climate time series for both the historical and forced environments for various natural climate variability ($\sigma^2$) and warming trends ($\mu$). Specifically, the historical climate time series are obtained by sampling into a normal distribution—centered on a zero mean and with a specific standard deviation $\sigma$—with independent draws each year (i.e., independent and identically distributed random variables [IID]). The forced climate time series are calculated by adding to this natural variability a linear trend of slope $\mu$. In that context, this ToE calculation in an IID environment is directly related to the signal-to-noise ratio: $\text{ToE} = (2P)/(\text{SN} \text{ratio})$ with $P$ the climate value corresponding the threshold of the prediction interval.

In our theoretical study, we explore a range of parameters consistent with the observed standard deviation of the inter-annual temperature variability (figure 1 of Hawkins & Sutton, 2012) and the projected climate warming by 2100 (IPCC), with $\sigma \in [0.2 \ 1.5]$ and $\mu \in [0.01 \ 0.15]$ (Figure 2). In our empirical example, we used 40 members from the Community Earth System Model Large Ensemble (CESM-LE, Kay et al., 2015) to characterize the confidence envelope of sea ice, hence the ToE\text{climate} and ToE\text{pop}.

3 | CONCEPTUAL MODEL OF THE TIME OF EMERGENCE IN POPULATION

The time of emergence depends both on (1) the time-varying signal, $T(t)$ estimated as the long-term monotonic trend (red trend in Figure 1) and (2) the noise based on the range of natural variability over some historical period (variations of the black time series in Figure 1, Section 2). Hence, it is important to understand how the climate-driven trend in population growth rate and its year-specific stochastic variations are related to climate trend and variability (Section 3.2, Figure 1). Although previous
theoretical studies have shown that the variance in annual population growth rates depends on the variance in climate in a stationary environment (Engen et al., 2005), we still lack a theoretical understanding on how the population trend and variability respond to climate in a non-stationary environment. Hence, after introducing the methods to estimate the time of emergence in population (Section 3.1), we discuss conceptually the links between the trend and variability of population and climate (Section 3.2, Figure 1). In addition, to partially shedding light on those concepts, we build on previous theoretical studies (Engen et al., 2005; Morris et al., 2008) to show analytically how the variance in annual population growth rates can be related (linearly for small environmental changes) to the climate variance in a stochastic and stationary environment by explicitly accounting for the functional relationship between climate and demographic rates (Section 3.3, Equation 8).

3.1 Methods to estimate ToE\textsubscript{pop}

As in climate (Section 2), population ecologists can use various methods to estimate the time of emergence in population ToE\textsubscript{pop}. Figure 2 illustrates the signal threshold method used here (Section 2), where the time of emergence is the first year when the projected future state of a variable crosses a pre-defined emergence threshold based on the historical variations. For example, the projected future state of a population can be depicted by the gray envelope of future projections (red lines in Figures 1 and 2) under a specific forcing scenarios based on a range of emissions of greenhouse gases (GHGs), while the emergence threshold can be determined from the gray envelope of historical population projections (black lines in Figures 1 and 2).

In ecological impact studies, the emergence threshold (e.g., horizontal lines in Figures 1 and 2) can be interpreted as thresholds beyond which management-relevant impacts will occur and depend on

![FIGURE 3](relationship-between-ToE climate (x-axis) and ToE pop (y-axis) for four life-history strategies (from fast (species 1) to slow (species 4)), whereby climate affects only one demographic parameter at a time (colored dots: blue is fertility, red is juvenile survival, orange is adult survival, and purple is maturation rate). Black lines represent the time when ToE\textsubscript{pop} = ToE\textsubscript{climate}.)
the management sensitivity to changes in climate conditions. Indeed, emergence thresholds are not necessarily set at the extreme 2.5% high or 2.5% low of the range of historical population variations (±2σ) usually used in risk impact studies but can be set at any thresholds at which the decline or increase in population is perceived as unsustainable. For example, high management sensitivity threshold may be desirable for increasing species, whereby management actions are triggered by low emergence thresholds, for example, 60% prediction interval of population growth distribution during the baseline period (Figure S3).

3.2 | Factors influencing the ToEpop

Figure 2 shows that the time of emergence in populations varies among species. From a conceptual viewpoint, this depends on the sensitivity of the population growth rate to climate: $\lambda_i/\partial C$ (Figure 1). This sensitivity can be decomposed into two main components. First, it depends on the sensitivity of the demographic rates themselves $\theta_i$ (e.g., survival, reproduction) to climate $\partial \theta_i/\partial C$ (panel 1 in the demographic rates box in Figure 1). Therefore, the functional relationships between climate and the demographic rates likely play a key role in the sensitivity of the population growth rate to climate. Second, $\lambda_i/\partial C$ depends on the sensitivity of the population growth rate to demographic rates $\partial \lambda_i/\partial \theta_i$ (panel 2 in the demographic rates box in Figure 1). The latter is influenced by the species’ life history (Saether & Bakke, 2000). For instance, the “demographic buffering” hypothesis posits that in long-lived species, adult survival is expected to be buffered against environmental changes (environmental canalization sensu Gaillard & Yoccoz, 2003) and reproduction is expected to be more variable with stronger functional relationships with climate. The opposite patterns are expected in short-lived species (see Hilde et al., 2020 for a review). Therefore, demographic rates of species with contrasting life histories are expected to be differently influenced by climate, influencing, in turn, the sensitivity of the population growth rate to climate, the variance in annual population growth rates, and the climate-driven change in population. As a result, time of emergence in populations is expected to vary among species, but the pattern of such variations is difficult to predict conceptually. Indeed, in next section, we show that the magnitude of the demographic response to climate (i.e., $\partial \theta_i/\partial C$) increases both the variance and the climate-driven trend of the population, with effect size that varies with the mean state of climate (see Appendix S1 and Figure 1), hence unknown resulting impact on ToEpop.

3.3 | Population variability in a stationary environment

In this section, we show how the variance in annual population growth rates depends on the variance in climate, $\sigma^2$, and the functional relationship between the mean climate $\bar{C}$ and demographic rates, assuming a stationary environment (i.e., one in which the mean $\bar{C}$ and variance $\sigma^2$ do not vary over time). For a structured population model of the form $n_{t+1} = A_t n_t$ (see Section 4, Figure 1) in a stationary environment characterized by small variations, the environmental variance of the population growth rate $\lambda_i$ (such that $N_{t+1} = \lambda_i N_t$) can be approximated (first-degree Taylor approximation) by (see Engen et al., 1998, 2005):

$$\text{var} (\lambda_i) = \sum_{ij} \frac{\partial \lambda_i}{\partial \theta_j} \text{var} \left( \frac{\partial \theta_j}{\partial C} \right) \text{Cov} (\theta_j, \theta_i).$$ (1)

with $\theta$, the vector of mean demographic parameters including fertility, survival of juveniles and adult, and maturation rates (Table 1).

This variance is important as it influences the long-term stochastic growth rate of the population:

$$\log \lambda_i = \log A_{t-1} \ldots A_0 n(0).$$ (2)

Let us assume that the environment affects only one demographic rate, $\theta_i$ (the other rates $\theta_j$ remain constant over time), then Equation (1) simplifies as:

$$\text{var} (\lambda_i) = \left( \frac{\partial \lambda_i}{\partial \theta_i} \right)^2 \text{var} (\theta_i).$$ (3)

The demographic rate $\theta_i$ is a function of a climatic variable $C$ and $\lambda_i$ is also affected by other unknown variables generating environmental stochasticity $\epsilon$, such as observation and process errors. $\epsilon$ is a stochastic environmental noise of mean 0, and variance $\text{var} (\epsilon_i)$ and is considered as an additional variability independent from $C$. For example, let us assume that $\theta_i$ is an inverse logit function of a linear function of $C$:

$$\theta_i = \theta_i (C_i, \epsilon_i) = g (\gamma = \beta_0 C_i + \beta_1 + \epsilon_i),$$ (4)

where $\beta_0$ and $\beta_1$ are the constant regression coefficient of the functional relationship between climate and the demographic rate (Figure 1); $g$ is the inverse logit link function so that $\theta_i \in [0, 1]$. Applying the second-order Taylor expansion, the variance of the demographic rate $\theta_i$ is:

$$\text{var} (\theta_i) \approx \left( \frac{\partial g}{\partial \gamma} \right)^2 \text{var} (\gamma) = \left( \frac{\partial \theta_i}{\partial C} \frac{\partial C}{\partial C} \right) \left( \beta_0^2 \sigma^2 + \text{var} (\epsilon_i)^2 \right).$$ (5)

with $\sigma^2$ the variance of the climatic variable $C$ and

$$\frac{\partial \theta_i}{\partial C} \frac{\partial C}{\partial C} = y' \exp (-y) / (1 + \exp (-y))^2 = \beta_0 - \exp (-\beta_0 C - \beta_1)/(1 + \exp (-\beta_0 C - \beta_1))^2.$$ (6)

Hence, Equation (3) can be simplified as:

$$\text{var} (\lambda_i) = \left( \frac{\partial \lambda_i}{\partial \theta_i} \right)^2 \left( \frac{\partial \theta_i}{\partial C} \frac{\partial C}{\partial C} \right) \left( \beta_0^2 \sigma^2 + \text{var} (\epsilon_i)^2 \right).$$ (7)
Applying the derivative chain rule and assuming $\varepsilon = 0$, that is, that the demographic rate $\theta$ is a deterministic function of climate, like in our simulations, we obtain:

$$\text{var} (\lambda_i) = \beta^2 \sigma^2 \left( \frac{\partial \theta}{\partial \mathbf{C}} \right)^2 . \quad (8)$$

Hence, the year-specific stochastic variation depends on climate internal variability $\sigma^2$, the stochastic environmental variability, as well as the sensitivity of the population growth rate to the demographic rate and the sensitivity of the demographic rate to climate in a stationary environment that both define the overall the sensitivity of the population growth rate to climate.

In a non-stationary environment (Figure 1), $\mathbf{C}$ is changing, and $\text{var} (\lambda)$ varies, in general, nonlinearly with $\mathbf{C}$ depending on the sensitivity of the population growth rate to climate ($\partial \theta / \partial \mathbf{C}$) (see Appendix S2 and Figure 1), this latter also influences the population trend. Hence, it is difficult to posit a priori how $\text{ToE}_{\text{pop}}$ will vary with the signal and noise in climate across life histories and demographic processes for various functional relationship between climate and demographic rates. In Section 4, we use a simulation framework to answer our five questions posed in the introduction, and discuss six testable hypotheses in Section 6.

4 | TIME OF EMERGENCE IN POPULATIONS

4.1 | Population projections

To project the population dynamics of species with four contrasting life histories along the slow–fast gradient (Table 2), we use a simple two-stage climate-dependent population matrix model that permits to explore some of the diversity of life cycles (Caswell, 2001; Neubert & Caswell, 2000; Figure 1). The model distinguishes non-reproducing juveniles and reproducing adults (see life cycle in Figure 1). The population is projected from year $t$ to year $t + 1$ by:

$$n_{t+1} = A (\theta [\mathbf{C}_t]) n_t . \quad (9)$$

with $n_t$ the population vector made of the abundances of juveniles and adults and $A$ the population transition matrix including demographic rates $\theta [\mathbf{C}_t]$ that are defined by specific functional relationship with climate $\mathbf{C}$ (Figure 1, Figure S1). The demographic rates are the survival of juveniles $S_j$ and adults $S_a$, the development rate of juveniles into adults $\gamma$ (maturation rate), and the fertility of adults $F$.

$$A = \begin{bmatrix} S_j (1-\gamma) & F \\ S_j \gamma & S_a \end{bmatrix} . \quad (10)$$

<table>
<thead>
<tr>
<th>Species 1</th>
<th>Species 2</th>
<th>Species 3</th>
<th>Species 4</th>
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<tr>
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<td>6.02</td>
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<tr>
<td>Probability to return to adult state</td>
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<td>0.39</td>
<td>0.83</td>
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</table>

Note: The fertility ($F$ is the number of offspring that are produced per adult female in year $t$) is reported here. The fecundity ($b$ is the number of offspring born per unit time per female) is discounted by the probability that an adult will actually survive from the time of the census to the birth pulse ($F = bS_a$). The deterministic population growth rate is one for all species. The generation time (in years) is the mean age of parents (equation 14 of Bienvenu & Legendre, 2015), from the fundamental matrix the following demographic outputs are calculated: the mean life expectancy at birth and the mean remaining life at adulthood (equation 20 of Roth & Caswell, 2018); the probability to return to the adult state (from equation 47 of Roth & Caswell, 2018 using state A in Figure 2). Ex stands for extreme.
This model permits the simulation of population dynamics of species with four contrasting life histories with increasing generation time (the mean age of mothers at child birth), which is a reliable metric to rank species along the continuum of life-history variation (Gaillard et al., 2005). Species differ in terms of reproductive strategy (semelparous vs. iteroparous), age at first reproduction (presexual vs. delayed; Neubert & Caswell, 2000), and lifespan (short vs. long) and thus range along the slow–fast continuum of life-history variation (Gaillard et al., 2016) from fast species with short generation time, high reproductive output, and short lifespan (species 1) to slow species with opposite characteristics (species 4; Table 2). For example, species 1 represents organisms with rapid life cycle development, only one reproductive event in their lifetime and high fecundity ($b \sim 168$) (Table 2), such as many annual plants and insects. Species 2 are short-lived iteroparous species producing 7–8 offspring per unit time per female such as small mammals and birds. At the other end of the spectrum, species 4 are long-lived species with delayed first reproduction, low reproductive output per breeding event, and long lifespan such as primates, whales, or albatross. While these species do not capture the full diversity of life history, especially for plants that exhibit a vast amount of life-history variations, they provide a reasonable sample of characteristic traits across a representative range. Indeed, Salguero-Gómez et al. (2016) showed that the first axis of life-history variations of 418 plant species worldwide representing the slow–fast continuum explains 34% of the variation in plant life-history strategies, while it explains even a higher percentage of variations (60%–80%) among mammals (Oli, 2004), birds (Sæther, 1987), and reptiles (Bauwens & Diaz-Uriarte, 1997).

We include the effects of climate acting on only one demographic parameter at a time $\theta_i$ and assume that the inter-annual variability in population growth rates is induced by climate only (i.e., $\epsilon = 0$ in Equation 7). In each case, the functional relationship between demographic rates and climate $\theta_i(C)$ is linear, sigmoid, or a bell-shaped curve functions (Figure 1, Figure S1) and is defined by Equation 4 with $\epsilon = 0$ and $\beta_i = \overline{\theta}_i$ the mean demographic parameter in the historical unperturbed environment that leads to a stable population with $\overline{C} = 0$ (Table 1). Specifically, relationships can be linear functions on the real scale, with

$$\theta_i(C_i) = \beta_i C_i + \overline{\theta}_i, \quad (11)$$

and results are shown only in Figure S4 for all demographic rates. Relationships can be sigmoid functions, with

$$\theta_i(C_i) = g(y = \beta_i C_i + \overline{\theta}_i), \quad (12)$$

and $g$ is the inverse logit link function. Relationships can be bell-shaped curves functions with quadratic functional relationship between demographic rate and climate:

$$\theta_i(C_i) = g(y = \beta_i C_i^2 + \overline{\theta}_i), \quad (13)$$

For most demographic rates, $g$ is the inverse logit link function so that $\theta_i \in [0, 1]$ but not for fertilities of species 1–3 that vary on the real scale.

To characterize a reasonable range of demographic rates and life-time outcomes in the set of projected environmental conditions, $\beta_0$ varies in a specific range that depends on the functional relationship. For linear functional relationships between climate and demographic parameters (Equation 11), the slope varies as $\beta_0 \in [-0.03, 0.03]$ (Figure S5). For sigmoid functional relationships, the slope varies as $\beta_0 \in [-0.15, 0.15]$ (Figure 3a). For bell-shaped functional relationships the slope vary as: $\beta_0 \in [-0.025, 0.01]$ (Figure 3b).

We calculate the time of emergence of population using the threshold methods following the same methodology as for climate (Section 2). We assume that the historical population is stable in an unperturbed stationary environment with $\overline{C} = 0$ and variance $\sigma^2$; that is, the stochastic long-run growth rate is null: $\ln(\lambda_i) = 0$ (calculated from Equation 2). $\ln(\lambda_i)$ depends on variance in annual population growth rates var $\lambda$ (Lande et al., 2003; Tuljapurkar & Orzack, 1980) that is driven by the natural climate variability $\sigma^2$ (Section 3). Climate fluctuations that increase the variance of demographic rates usually decrease the stochastic long-run growth rate of populations (Engen et al., 2005; Lande et al., 2003; Tuljapurkar, 1982). Hence, to set $\ln(\lambda_i) = 0$ across environmental historical conditions, the vector of demographic parameters $\theta$ is slightly tuned for each environmental variability $\sigma$.

### 4.2 | Time of emergence in population depends on climate variability and trend

We found that $\text{ToE}_{\text{pop}}$ can be predicted by the climate signal-to-noise ratio and occurs earlier as the signal-to-noise in climate becomes larger (Figure 3). Indeed, the $\text{ToE}_{\text{pop}}$ is linearly and positively correlated to the $\text{ToE}_{\text{climate}}$ (Figure 3) as both the variability and trend in population are positively related to the natural variability and trend of climate (Figure 4).

Remarkably, the $\text{ToE}_{\text{pop}}$ can be earlier or later than the $\text{ToE}_{\text{climate}}$ depending on the life-history strategies and the demographic processes by which climate affects demographic rates (Figure 3). For example, the $\text{ToE}_{\text{pop}}$ is earlier than $\text{ToE}_{\text{climate}}$ for iteroparous species for which climate affects maturation or adult survival rates for long-lived species (species 3 and 4) or juvenile survival for short-lived species (species 2). Hence, some life histories may permit an earlier detection of the time at which the signal of anthropogenic climate change emerges from the noise of natural climate variability.

### 4.3 | Time of emergence in population across life histories and demographic processes

The $\text{ToE}_{\text{pop}}$ can be predicted by life histories and demographic processes (Figures 3 and 5). Across life histories, the $\text{ToE}_{\text{pop}}$ is the largest for species 1 (semelparous short-lived strategy), which have on average the largest population variations (Table 2, Figure 5). Across demographic processes, the $\text{ToE}_{\text{pop}}$ is the longest for the fertility (Table 2). For iteroparous
FIGURE 4  (a) The variability in annual population growth rates depends on the natural variability of climate $\sigma$, in both in the historical and perturbed environments (example for $\beta = 0.125$, $\alpha = 0.05$). (b) The trend of population growth rate at the time of emergence in population depends on the trend of climate $\alpha$ (example for $\beta = 0.125$ and $\sigma = 0.5$). Colors refer to the climate-dependent demographic rate: blue is fertility, red is juvenile survival, orange is adult survival, and purple is maturation rate. The dots on (a) stand for the forced environment while square shows the historical environment. Panels show four different life-history strategies, from fast (species 1) to slow (species 4).
species, the $T_{\text{ToE}_{\text{pop}}}$ depends on the sensitivity of the population growth rate to the demographic rate affected by climate and occurs earlier as the sensitivity increases (Figure 5). As a consequence, the $T_{\text{ToE}_{\text{pop}}}$ occurs later as species longevity increases when climate affects fertility and juvenile survival. However, the opposite pattern occurs when climate affects adult survival and maturation rate: $T_{\text{ToE}_{\text{pop}}}$ occurs earlier for long-lived than short-lived species (Figure 3, Table 2).

**4.4 Time of emergence in population among different functional relationships between climate and demographic rates**

Surprisingly, the type of functional relationship between climate and demographic rates and its slope have little effect on the $T_{\text{ToE}_{\text{pop}}}$ (Figures 3 and 6). While the variability of the population in

**FIGURE 5** $T_{\text{ToE}_{\text{pop}}}$ as function of the sensitivity of the population growth rate to the demographic rate affected by climate. The $T_{\text{ToE}_{\text{pop}}}$ is the median across various natural variability and trend of climate and various slope in the functional relationship between climate and the demographic rate (Table 2). The sensitivity of the population growth rate to the demographic rate is calculated for the averaged population matrix in the historical environment. Symbols refer to species

**FIGURE 6** $T_{\text{ToE}_{\text{pop}}}$ as function of the absolute slope of the functional relationship between climate and demographic rate $\beta_0$. Example for a climate trend of $\alpha = 0.05$ and climate variability of $\sigma = 0.5$. Colors refer to demographic pathway by which climate affects demographic rates: blue is fertility, red is juvenile survival, orange is adult survival, and purple is maturation rate. The dots stand for $\beta_0 > 0$, while square shows $\beta_0 < 0$. Panels show four life-history strategies
the historical environment is smaller for bell shape versus linear relationships (see Equation 9, Section 3), both the trend and variability are larger for bell shape relationship in the non-stationary forced environment (Table 3). Indeed, the variability in the forced environment increases substantially compared to the variability in the historical environment for bell shape, while it does not change for linear relationships (Table 3). However, the ratio of the trend to the magnitude of variability is very similar between bell shape and linear relationship, and the patterns of time of emergence are thus very similar regardless of the shape of the functional relationship. The slope of those relationships has also little impact of the ToE$_{pop}$ relative to life histories and demographic processes, probably because it affects both the trend and variability simultaneously (Figure 1).

### Table 3

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Note: Median of the time of emergence of population is denoted ToE$_{pop}$. At the time of emergence in the population: the median of the trend is T$_{ToEpop}$, the median of the variability in the forced environment is var$_{ToEpop}$, and their ratio is T$_{ToEpop}$/var$_{ToEpop}$ at ToE$_{pop}$, and the median of the sensitivity of the population growth rate to climate is $\frac{\Delta C}{C_{\text{ToEpop}}}$. Historical variability is denoted var$(\lambda_1)$.

### 5 | TIME OF EMERGENCE OF EMPEROR PENGUIN POPULATION

The emperor penguin is a relevant example to test our theoretical predictions, specifically that long-lived species (comparable to species 4) may permit an earlier detection of anthropogenic climate change influence in population growth rates (Figure 3, Section 4.2). Penguins are threatened by future climate change as they rely on sea ice for
breeding substrate and warming is driving reductions in sea ice cover (Jenouvrier et al., 2014, 2020, 2021). Adult survival is strongly affected by sea ice during four seasons of the life cycle resulting in complex, nonlinear bell shape relationships (Jenouvrier et al., 2012). Adult survival is maximized at intermediate levels of sea ice because neither the complete absence of sea ice (low food resources and/or high predation) nor heavy and persistent sea ice (longer foraging trips) provide satisfactory conditions. Thus, in contrast to our theoretical examples, relationships between climate and demographic rates are even more complex for the emperor penguin. Indeed, sea ice affects a multitude of demographic rates during various seasons, with different functional responses among sexes. Furthermore, other processes contribute to the variability in population growth rate (i.e., $\varepsilon > 0$ in Equation 7, related to sampling variance and process variance due to unmeasured environmental conditions such as local fast ice dynamics or large-scale atmospheric perturbations, see Trathan et al., 2020 for a review).

### 5.1 | Emperor penguin life cycle

The life cycle of emperor penguins includes five stages according to breeding status and sex (Figure 7): male and female pre-breeder (birds that have yet to breed for the first time), breeding pairs, and male and female non-breeder (birds that have bred before but do not do so in the current year). The demographic rates describing the transitions between these stages from year $t$ to $t + 1$ include the following: the probability that an individual of a given stage returns to the breeding site, the probability of mating as a function of the availability of potential mates, the probability of breeding success (raising an offspring given that the female lays an egg), the primary sex ratio (fixed at 0.5), the survival of offspring during the first year at sea, and the annual survival of pre-breeder, non-breeder, and male and female.

The functional relationships between demographic parameters and sea ice concentration anomalies depend on four seasons (described in detail in Jenouvrier et al., 2012):

1. The non-breeding season from January to March,
2. The arrival, copulation, and laying period (April–May), hereafter called the laying period,
3. The incubation period (June–July),
4. The rearing period (August–December).

Relationships are sigmoid functions, with linear ($\beta_2 = 0$) or quadratic functional relationship between demographic rate and sea ice $x$ on the logit scale:

$$\theta_i(x(t)) = g(y = \beta_0 + \beta_1 x(t) + \beta_2 x(t)^2 + \varepsilon_t),$$

including the parameter estimates $\beta_k$ and the environmental stochasticity $\varepsilon_t$ generated by other unknown variables. $\varepsilon_t$ is a stochastic environmental noise of mean 0, and variance $\text{var}(\varepsilon_t)$ is considered as an additional variability independent from sea ice. $g$ is the inverse logit link function so that $\theta_i \in [0, 1]$.

### 5.2 | Emissions scenario, climate model, and climate outputs

The climate outputs from multiple AOGCMs (Atmosphere Ocean General Circulation Model) are publicly available in a standardized format on the Coupled Model Intercomparison Project (CMIP) website. CMIP5 provides a framework for coordinated climate change experiments for assessment in the IPCC Fifth Assessment Report (AR5) in 2014 using four Representative Concentration

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**FIGURE 7** Annual life cycle graph for the emperor penguin. It represents a two-sex model with males (black) and females (gray). Fertilities are shown by dotted lines, and the transitions between stages of individuals already present in the population are represented by solid lines (see figure 1 from Jenouvrier et al., 2010 for more details on seasonal cycle of the emperor penguin).
Pathways (RCP) describing future GHG concentration trajectories based on socio-economic assumptions. Newer emissions forcing scenarios have been developed and used for climate projections in CMIP6 for the Sixth Assessment Report (AR6) released in August 2021. These “Shared Socioeconomic Pathways” (O’Neill et al., 2016) differ in the time evolution of specific climate forcers, such as GHG and aerosol emissions, but bracket the same range in energy flux variations in the atmosphere caused by anthropogenic factors of climate change (i.e., radiative forcing range) as the RCP scenarios.

There are several sources of uncertainties in climate projections that affect the time of emergence, including the structural uncertainty associated with the different climate models used to make projections, and the scenario uncertainty associated with different future emission pathways (Deser et al., 2012; Hawkins & Sutton, 2009; Schlenegger et al., 2020). However, here we use one climate model and one scenario to obtain the sea ice outputs from a large ensemble (Kay et al., 2015) for illustrative purposes, as large ensemble simulations using several scenarios from several climate models were not available at the time of our analysis.

Specifically, we used RCP 8.5 high-emission scenario (Meinshausen et al., 2011) that represents a future in which greenhouse gas emissions continue unabated. RCP 8.5 is considered as a useful scenario for quantifying physical climate risk, especially over near- to midterm policy-relevant time horizons (Schwalm et al., 2020). Indeed, the total cumulative CO$_2$ emissions since 2005 projected under RCP8.5 by 2050 are in close agreement with historical observed total cumulative CO$_2$ emissions (Schwalm et al., 2020). In addition, the total cumulative CO$_2$ emissions since 2005 projected under RCP8.5 by 2050 agree well with energy forecasts under current and stated policies by 2050, with still highly plausible levels of CO$_2$ emissions by 2100 (Schwalm et al., 2020).

We use sea ice outputs from a large ensemble produced by the Community Earth System Model (CESM), development of which is coordinated by the National Center for Atmospheric Research (NCAR), allowing us to characterize the natural climate variability (Kay et al., 2015). In addition, the CESM model resolves very well the Antarctic sea ice conditions that influence the most emperor penguin population growth rates (Jenouvrier et al., 2020).

5.3 | Sea ice and penguin projections

We calculate $\text{ToE}_{\text{pop}}$ for the 54 known colonies around the coast of Antarctica (Fretwell et al., 2012; Fretwell & Trathan, 2009; Figure S7) following the approach outlined in Section 2 based on projections of population growth rates driven by sea ice changes. Specifically, to project emperor penguin population growth rate at each colony, we link a climate-dependent demographic matrix model to sea ice projections (Section 5.2). Our sea ice-dependent demographic model includes demographic rates that depend on the sea ice conditions during four seasons (non-breeding, laying, incubating, and rearing; Section 5.1), and accounts for differences in the impact of sea ice conditions on adult survival between sexes (see Supporting Information S3 for more details). These relationships and their estimations are described in detail in Jenouvrier et al. (2012).

The model includes sources of stochasticity and uncertainties: (1) parameter uncertainty describes statistical uncertainty in the estimates of demographic parameters (e.g., survival, and their responses to sea ice concentration anomalies) and (2) process variance (i.e., environmental stochasticity) reflects true “unexplained” temporal variance in demographic rates that is not accounted for by sea ice, which when combined reflect the term $\text{var}(\epsilon)$ in Equation (7), Section 3. As we ignored these context-specific uncertainties in our theoretical simulation, we present the results with two scenarios: with or without $\text{var}(\epsilon)$.

For our historical environment, we used sea ice projections from 1920 to 1950, and for the forced environment we used sea ice projections from 1950 to 2100 under climate scenario RCP 8.5 (Section 5.2). We assume that the population is stable in the historical, unperturbed environment and our emergence threshold is based on the 95% prediction interval. This permits us to characterize when anthropogenic signals in emperor penguin populations are very likely to emerge from stochastic noise.

5.4 | Time of emergence in sea ice and penguin

The $\text{ToE}_{\text{clim}}$ in sea ice varies among seasons and colonies (Figure 8, Figure S5) and as a consequence, the $\text{ToE}_{\text{pop}}$ varies among colonies. The $\text{ToE}$ in sea ice and populations are earlier for colonies in East Antarctica, than in the Ross, Bellingshausen, Amundsen, and Weddell Seas (Figure S7). The variability and trend are negatively related (Figure S6), so regions showing a larger signal also exhibit larger variability in climate and population as sea ice loss are projected into the future. When the environmental stochasticity generated by other factors than sea ice ($\text{var}(\epsilon)$) is ignored, the $\text{ToE}_{\text{pop}}$ occurs earlier than climate for most colonies, except the ones located from Enderby Land to Terre Adelie Land in East Antarctica for which the $\text{ToE}$ in sea ice is the earliest. When parameter uncertainty and process variance are included, the $\text{ToE}_{\text{pop}}$ occurs later than $\text{ToE}_{\text{clim}}$ for almost all colonies, except the few colonies in the Bellingshausen and Amundsen Seas for sea ice during the rearing season.

6 | DISCUSSION

Anthropogenic climate change has triggered impacts on ecosystems worldwide, yet the timing at which these biological impacts can be formally detected has been insufficiently described (Beaumont et al., 2011). Here we focused on detecting climate-driven signals in population, but this approach can be applied to climate-related impacts on changes in distribution by accounting for the temporal dynamics in those spatial changes. Heretofore, changes in distribution are often assumed to depend only on the climate signal and analyses...
using, for example, species distribution models often ignore climate variability (but see Zimmermann et al., 2009).

We found that the time of emergence of climate-driven signals in population dynamics $T_{E_{pop}}$ depends on (1) the magnitude of climate change and variability and (2) life histories and demographic processes by which climate affects the population and we propose six testable predictions. In the context of detection and attribution of climate change, we find that some life histories magnify signal-to-noise ratios in climate ($T_{E_{climate}}$), enabling observations of populations to yield earlier detection of anthropogenic climate change than observations of a climate variable itself, while other demographic dynamics prolong the detection of anthropogenic climate change relative to $T_{E_{climate}}$.

In our emperor penguin example, density-dependent processes occur because of sex-biased mortality in response to sea ice, which displays spatiotemporal autocorrelation, affecting reproduction and survival. These dynamics result in complex covariances among demographic rates, and the life cycle is structured in several stages. Our main theoretical result—some life histories enable an earlier $T_{E_{pop}}$ than $T_{E_{climate}}$—is well supported by our example when the noise is driven by climate natural variability and all complexities arising in natural systems discussed in the following sections are included.

However, when stochastic variations from observation error and other biotic and abiotic processes other than sea ice natural variability are included, the $T_{E_{pop}}$ occurs later than $T_{E_{climate}}$ for almost all colonies. Nevertheless, sampling and process errors can be reduced by increasing monitoring effort and improving our understanding of how the biological systems respond to biotic and abiotic factors. Furthermore, aggregating abundance across space attenuates the random component of the underlying growth rates and may permit a better detection of anthropogenic signals in populations (Che-Castaldo et al., 2017).

Regardless of whether the stochastic noise associated with other sources than natural variability in climate obfuscates an earlier $T_{E_{pop}}$ than $T_{E_{climate}}$ the time of emergence identifies when the signal of anthropogenic climate change in populations can be quantitatively distinguished from year-specific stochastic variation. Quantifying $T_{E_{pop}}$ is critically needed to provide relevant cost/benefit evaluations for climate mitigation and adaptation strategies, as well as accurate assessments of the risks climate change poses to conservation and management of ecosystems (Hawkins et al., 2020; Hawkins & Sutton, 2012). In this context, we propose a road map for future research.

6.1 | $T_{E_{pop}}$ is predicted from $T_{E_{climate}}$

We find that the $T_{E_{pop}}$ depends almost linearly on the $T_{E_{climate}}$ (Figure 3). Hence, we suggest the following hypotheses.

**FIGURE 8** Difference between the time of emergence in sea ice and $T_{E_{pop}}$ of emperor penguin ($T_{E_{climate}} - T_{E_{pop}}$) for the 54 known colonies (x-axis) and four seasons (color). The calculation of $T_{E_{pop}}$ accounts for var ($\epsilon$) generated by parameter uncertainty and process variance (i.e., environmental stochasticity) (a) or not (b).
[H1] Tropical species may permit an earlier detection of anthropogenic climate change than temperate species, especially if temperature in summer affects their demographic rates. Many climate studies have shown that the ToE in temperature is earlier for low-latitude regions than for mid-latitude regions and is of intermediate duration for polar regions (Hawkins et al., 2020; Hawkins & Sutton, 2012; Mahlstein et al., 2011, 2012). The emergence of signal of anthropogenic climate warming occurs the soonest in the summer season at low latitudes (Mahlstein et al., 2011). The studies of Beaumont et al. (2011) and Sorte et al. (2019) support this hypothesis: tropical and subtropical ecosystems, and mangroves, face extreme conditions earliest than boreal forests and tundra biomes because the low SD compensates for the relatively small absolute changes (Beaumont et al., 2011). Passerine bird species that migrate between temperate breeding grounds in North America and southern tropical wintering grounds experience an earlier ToEclimate than species wintering in the sub tropics (Sorte et al., 2019). ToEclimate exceeding 2300 occurred only in the northern latitudes corresponding to the southern non-breeding grounds of some birds (Sorte et al., 2019). Studies on the thermal tolerance of terrestrial ectotherms also support this hypothesis. For example, tropical insects are relatively sensitive to temperature change and are currently living very close to their optimal temperature, while species at higher latitudes have broader thermal tolerance and are living in climates that are currently cooler than their physiological optima (Deutsch et al., 2008).

[H2] In terrestrial systems, species affected by temperature may yield earlier detection of anthropogenic climate change than species affected by precipitation. Climate studies have shown that changes in precipitation are often harder to detect because natural variability in precipitation is larger than in temperature (Giorgi & Bi, 2009). For example, the ToEclimate in precipitation extremes does not occur prior to 2100 in many regions (King et al., 2015). However, an anthropogenic signal is emerging soon in winter-time heavy precipitation events over much of Eurasia and North America, so species in these regions may experience earlier ToEpop. However, this hypothesis depends also on the sensitivity of the population growth rate to temperature versus precipitation. In a comparative study of time series of 165 plants populations around the globe, Compagnoni et al. (2021) found that demographic responses to climate are larger for precipitation than temperature, but large noise hampers the detection of the impact of precipitation on plant populations.

[H3] In marine systems, species dependent on the upper ocean biological cycling of carbon, photosynthetic activity, or salinity may yield later detection of anthropogenic climate change than species affected by sea surface temperature or pH. Several studies found that variables integrating the effect of invading anthropogenic carbon into the global ocean (e.g., pH) and sea surface temperature emerged most rapidly while variables related to the upper ocean mixing, associated changes in biological processes (e.g., export of organic matter, primary productivity) and salinity, only emerge after several decades (Henson et al., 2017; Schlunegger et al., 2020).

6.2 ToE in population is predicted from life histories and demographic processes

The ToEpop can be also predicted by life histories and demographic processes that will interact with our previous three hypotheses based on the relationships between ToEpop and ToEclimate.

[H4] ToEpop occurs later in semelparous species. Semelparous species, such as salmon, bamboos, and monocarpic herbs, exhibit a "big-bang reproduction" whereby individuals die immediately after the first reproduction (e.g., Metcalf et al., 2003). As a consequence, their population dynamics is often more variable than population of iteroparous species. Indeed, the various reproductive events of iteroparous species may be spread out throughout their life as a bet-hedging strategy in unpredictable environments, buffering the effect of environmental variability on population growth rate (Hilde et al., 2020). However, there is little theory available to predict how the degree of iteroparity might influence the demographic response to climate. A comparative study found no correlation between the degree of iteroparity with population responses to climate in plants (Compagnoni et al., 2021). Further work should entail a direct comparison of the influence of the generation time and degree of iteroparity on ToEpop.

[H5] The ToEpop of iteroporous species depends on the sensitivity of the population growth rate to the demographic parameter affected by climate (Figure 5). For population dynamics that are mainly affected by the impact of climate on adult survival during the non-breeding season ("tub" hypothesis; Sæther et al., 2004), the ToEpop will occur earlier in long-lived species than short-lived species. This might be the case for many migratory species, when the climate conditions affects survival during the migration, and in the non-breeding quarters (Sorte et al., 2019). The "tap" hypothesis (Sæther et al., 2004) proposes that environmental conditions during the breeding season affect population size the following year because it influences the inflow of new recruits into the population. The ToEpop in population occurs earlier if climate conditions during the breeding season have carry-over effect on demographic rates influencing the number of recruits, as observed in many species (e.g., Szostek & Becker, 2015). Specifically, this will occur when climate affects juvenile survival for short-lived species and maturation rate for long-lived species. Obviously, the underlying processes of the "tub-tap" effects are not mutually exclusive, and multiple demographic rates are affected by climate that will eventually shorten or prolong the ToEpop.

[H6] Iteroporous species can act as earlier indicators of the detection of anthropogenic climate change than climate itself. Earlier ToEpop than ToEclimate occurs when climate affects the demographic rates that most influence the population growth rate: adult survival and maturity for long-lived iteroporous species and juvenile survival for short-lived species (Figures 3 and 5). This hypothesis is supported by our empirical example: the population growth rate is mostly sensitive to the adult survival (Jenouvrier et al., 2010), which is affected by sea ice conditions (Jenouvrier et al., 2012). Here, we found that the ToEpop occurs earlier than ToEclimate when process variance due to other environmental factors and
demographic parameter uncertainties is ignored (Figure 8a). In natural system, the process variance may be large, obscuring an earlier detection of anthropogenic climate change in populations than in climate variables itself (Figure 8b, Sæther et al., 2004, 2007). However, if the goal is to use earlier indicator species in the detection of anthropogenic climate change, it is possible to reduce the demographic parameter uncertainties with higher sampling effort and decrease the process variance by a better understanding of the factors affecting the demographic processes.

6.3 | Road map for the future

We provide the first theoretical study of the ToE pop to understand the proximate mechanisms of the impact of climate change and variability and demographic processes using a simple model. We illustrate how to use a climate explicit population model to quantify ToE pop for emperor penguin, and argue that climate-dependent demographic models could be developed for several species allowing future comparative analysis. But many questions remained unanswered about the effect of more complex climate-driven demographic processes occurring in natural systems such as density dependence, autocorrelation in climate, covariation among demographic rates, population structure, and multiple climate drivers, to name a few. We propose a road map for future research, and acknowledge that we only scratched the surface on these important topics.

6.3.1 | Comparative studies of the ToE in population using climate explicit population models

Characterizing the time of emergence requires long-term time series to define the historical unperturbed state. For many species, the unperturbed state benchmark is not available as most long-term ecological time series cover only recent decades while profound global changes were already underway. It is challenging to characterize ToE from observations in natural systems using statistical approaches, even in climate sciences. Hence, most of the climate studies have used climate outputs from atmospheric-oceanic global circulation models (AOGCMs) to quantify the ToE climate (Hawkins et al., 2020; Hawkins & Sutton, 2012). Similarly, we propose to develop climate explicit population models to characterize the ToE in population. We have illustrated our approach using a simple structured population matrix model (Caswell, 2001), but other demographic, trait-based, or eco-evolutionary modeling frameworks can be developed.

We argue that the ToE pop can be quantified for many species already (Doak & Morris, 2010; Sæther et al., 2019; Treurnicht et al., 2016) allowing comparative studies to address our specific hypotheses on the variations of ToE pop across regions, ecosystems drivers, and species life histories. In recent decades, there is an increase in the number of studies measuring the effect of climate accounting for multiple seasonal and carry-over effects of climate on the complete life cycle of a species (Cordes et al., 2020; Doak & Morris, 2010; Iles & Jenouvrier, 2019; Jenouvrier, 2013; Ozgul et al., 2010). Although fewer studies have developed climate-dependent population model, the information is available in the literature to integrate the statistical relationships between climate and demographic rates into population models. The last step requires an interdisciplinary approach to use climate-dependent population models with projections of historical and future climate from AOGCMs (Iles & Jenouvrier, 2019; Jenouvrier, 2013). AOGCMs project (often nonlinear) changes in climate over time, and critically, provide quantitative estimates of natural climate variability (Kay et al., 2015). We hope that ecologists will take advantage of the free availability of climate outputs in both the pre-industrial, historical, and future environment supervised by the Coupled Model Intercomparison Project (Section 5.2). The most recently completed phase of the project (CMIP6) includes more climate models and output variables than previous phases, and importantly, includes several large ensemble runs of the same AOGCMs and experiment to account for natural variability in climate models (Deser et al., 2020).

Finally, the key to quantifying ToE pop is to characterize the population variability in the historical stationary environment. This requires careful consideration of the demographic stochasticity, especially for small populations, environmental stochasticity not driven by climate, density dependence and interactions with other species, which can be incorporated in demographic models (Lande et al., 2003). Other important environmental drivers of population dynamics such as habitat quality and resource variability can be incorporated into demographic models to reduce the process variance in the historical environment, enabling an earlier detection of the impact of climate change on populations. This is particularly important as habitat loss and resources exploitation (land-use change, fisheries, and deforestation) are key threatening processes driving the global loss in biodiversity that have synergistic effects with climate change (Dobson et al., 2021; Lemmer et al., 2021; Mantyka-pringle et al., 2012). If the combined effects of those threats and climate change are greater than the effects of each threat individually, the climate-driven trend in population maybe larger than the climate-driven trend without interaction with other threats, with potentially earlier detection of anthropogenic forced change in populations. On the other hand, if those threats augment noise in the system, that may reduce the signal-to-noise ratio and delay the detection of anthropogenic climate change relative to ToE climate. For example, the effects of fragmentation and loss of important habitat types will reduce population size and increase the impact of demographic stochasticity on the population dynamics (Hanski & Gaggiotti, 2004; Lande, 1998), which reduces the power of detecting any signal of climate variation. In addition, environmentally induced fluctuations in population size can be magnified by harvesting (harvest-interaction hypothesis) that may also prolong the ToE pop (Gamelon et al., 2019).

6.3.2 | Density dependence

Our population model does not include density dependence. The impact on the ToE pop will depend on the strength and type of the density
dependence (negative density dependence: exact compensation, over-compensation, under-compensation, positive density dependence), the specific demographic rate that is affected by density dependence, the interaction between climate and density dependence, and the life history of the species. For example, populations with undercompensating growth tend to respond slowly to environmental changes (Gamelon et al., 2017; Hansen et al., 2019), that may prolong the ToE_{pop}.

For population declining in response to climate change, the results should be qualitatively similar, except if Allee effects occur (a positive relationship between demographic rates and population), thereby accelerating extinction rate at low density (Courchamp et al., 1999, 2008). The Allee effect will increase the magnitude of the decline of the population trend and ToE_{pop} will probably occur earlier (Lande, 1998), but that will depend if an increase variance compensate for this larger signal. For population increasing in response to climate change, the patterns found without density dependence are more likely to change, that will depend on the emergence thresholds and carrying capacity of the population. For example, for invasive species, the emergence thresholds may be defined well below the carrying capacity of the population; hence, the results would be qualitatively the same as without density dependence. However, if the emergence thresholds are defined above the carrying capacity, the signal of anthropogenic climate change in population cannot be formally distinguished from population variability.

### 6.3.3 Temporal autocorrelation in climate and demographic rates

Our simulated environment does not include autocorrelation in the climate time series, while most environmental variables exhibit a red noise that may increase the probability of extinction of populations (Mustin et al., 2013; Rescan et al., 2020). Environmental variables in reddened environments imply consecutive periods of favorable or unfavorable conditions (positive autocorrelation), and a lower probability of at least one extremely poor year compared with white noise for a given time period, which may both decrease or increase population extinction risk (Schwager et al., 2006). The response of species to colored environmental variations depends on the timescale considered, the strength of environmental fluctuations, the particular life-history traits that are affected by environmental change and the species life cycle defining the sensitivity of population dynamics to these fluctuations (Engen et al., 2013). For example, a study from 454 plant and animal populations found that fast life histories show highest sensitivities to temporal autocorrelation in demographic rates across reproductive strategies, while slow life histories are less sensitive to temporal autocorrelation, but their sensitivities increase for species with a larger degree of iteroparity (Paniw et al., 2017). An important question is then how the sensitivities to temporal autocorrelation in demographic rates are related to the ToE_{pop}, and can be addressed by incorporating such autocorrelation in our current framework. Since the patterns of the sensitivities of the population growth rate to both inter-annual variability and temporal autocorrelation in demographic rates are similar (Iles et al., 2019; Paniw et al., 2017), and the influence of autocorrelations on the population variability driven by environmental noise is small (Engen et al., 2013), we do not expect that including temporal autocorrelation will change our six hypothesis.

### 6.3.4 Correlation among demographic rates

Correlations among demographic rates can occur when climate affects rates simultaneously and were ignored in our simulations. Positive covariation and autocorrelation in demographic rates tend to increase the variability in demographic rates, decreasing the stochastic growth rate and increasing the variability in population growth rates (Engen et al., 2013; Tuljapurkar et al., 2009). On the opposite, negative covariation and autocorrelation tend to decrease the variability in demographic rates, such as the survival–fecundity–trade-offs that reduces the variance in the population growth rate (Colchero et al., 2019; Sæther & Engen, 2015). Correlations of opposite signs among the various demographic rates may cancel out the effect of each other, and the resulting effect on the population growth rate may be small. In addition, the life-history strategy and density dependence affect the population responses to covariation and autocorrelation in demographic rates (Colchero et al., 2019; Iles et al., 2019) making challenging to predict how the trend and variability in population, hence the ToE_{pop} will be affected by covariation among demographic rates. Demographic rate correlations had the largest effect on the population growth rate for life histories with short to medium generation time (Iles et al., 2019) that may amplify or dampen the detection of anthropogenic climate change.

### 6.3.5 Population structure

Our population model includes the simplest age-structure by aggregating age-classes into two stages: juvenile and adult. Although this simple life cycle is useful to explore a wide range of life histories (Table 1), it leads to a reduced variance in annual population growth rates in an unperturbed environment (Colchero et al., 2019). In our definition, the ToE_{pop} is based on the comparison of the variability between the unperturbed and perturbed environment. Hence, the resulting ToE_{pop} should not be highly sensible to the structure of the population, except if the life cycle structure buffers or amplifies the population variability response to population structure in a non-stationary environment.

The life cycle of many species is much more complex than our simulated life histories. For example, the life cycles of plants include cryptic life stages such as long-term seedbanks and dormant adults. The reproduction of plants is highly variable with some plants reproducing vegetatively and seed mass and per-capita seed production ranging typically across six orders of magnitude (Kattge et al., 2011). Plants exhibit also an incredible range of longevity, from weeks to millennia (Peñuelas & Munné-Bosch, 2010). For example, an alpine carex, *Carex curvula* is a very slow-growing rhizomatous sedge and...
can have a life span of 2000 years (Steinger et al., 1996). The range of temperature variations that this alpine flora can sustain (i.e., breath of thermal niche) is exceeding the worst climate warming scenarios (Körner & Hiltbrunner, 2021), suggesting that the time of emergence would be prolonged for those species. Those complex life-history traits are not exclusive to the plant kingdom, and further work focusing on how age, stage, and trait structure affect the dynamics of populations and potentially dampen or amplify the climate-driven variability in population (e.g., cohort resonance, Bjørnstad et al., 2004), will provide fundamental insights to theoretical and applied research of the detection of anthropogenic climate change. For example, Bjørnstad et al. (2004) showed that spectral frequencies of the catches of cod in the Skagerrak were not the dominant frequencies of key environmental drivers, rather there was a spectral shift with a frequency peak at cod generational timescales, the so-called cohort resonance. Population dynamics may also potentially retain a memory of prior forcing, especially when climate events occurring in one season or stage of the life cycle affect individual performance in a subsequent season or stage (e.g., carry-over effects of climate; effect of climate at young age classes that may delay age at first recruitment; Hollowed & Sundby, 2014; Lindström & Kokko, 2002; Ranta et al., 2005; effect of climate on dormant stages; Hairston Jr., 1996).

6.3.6 | Multiple climate drivers

Our modeling framework includes only a single environmental time series. The cumulative integrations of white-noise atmospheric forcing in ecosystem drivers can generate population responses that are characterized by strong transitions and prolonged apparent state changes in marine ecosystems that will affect the ToE_pop (Di Lorenzo & Ohman, 2013). In addition, integrating multiple drivers to characterize the ToE_pop is important, as different climate variables affect organisms at various seasons and stages of their life cycle, sometimes in opposite ways (Jenouvrier, 2013; Jenouvrier et al., 2018). In a butterfly species, warmer temperatures have a positive effect on the survival of eggs, pre-diapause larvae and pupae but a negative effect on the survival of overwintering larvae (Radchuk et al., 2013). Climatic conditions experienced at different stages cause complex patterns of environmental covariance among demographic rates even across generations, which may either buffer or amplify the signal of anthropogenic climate change, emphasizing the importance of considering the complete life history of individuals when predicting and detecting the effect of climatic change on population dynamics (Herfindal et al., 2015; Iles et al., 2019; Jenouvrier, 2013).

7 | CONCLUSION

In the current global biodiversity crisis, the development of tools to detect, quantify, and compare the signal of anthropogenic climate change is essential to understand, anticipate, and adapt to climate change. Here, we provide a new perspective on how climate-induced changes in populations can be detected by quantifying the time of emergence in populations. We hope that ecologists will embrace the relevance of this concept in their attempt to understand population responses to climate change in non-stationary environments and provide a robust assessment of future climate risk to inform management and policy decisions.

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CONFLICT OF INTEREST

The authors have no relevant financial or non-financial interests to disclose.

AUTHOR CONTRIBUTIONS

Stéphanie Jenouvrier and Matthew C. Long developed the research ideas, and conceptualized and designed the study. Stéphanie Jenouvrier performed modeling work and analyzed theoretical and empirical data. Christophe F. D. Coste derived the mathematical equations. Marika Holland computed the sea ice forecasts. Stéphanie Jenouvrier wrote the first draft of the manuscript, and all authors contributed substantially to revisions.

DATA AVAILABILITY STATEMENT

Data are archived on the USAP-DC repository (dataset ID is 601491 and DOI is https://doi.org/10.15784/601491). Data are also archived on HAL, a public repository (hal-03468070).

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